## LMH6555

## Low Distortion 1.2 GHz Differential Driver

## General Description

The LMH6555 is an ultra high speed differential line driver with 53 dB SFDR at 750 MHz . The LMH6555 features a fixed gain of 13.7 dB . An input to the device allows the output common mode voltage to be set independent of the input common mode voltage in order to simplify the interface to high speed differential input ADCs. A unique architecture allows the device to operate as a fully differential driver or as a singleended to differential converter.
The outstanding linearity and drive capability ( $100 \Omega$ differential load) of this device are a perfect match for driving high speed analog-to-digital converters. When combined with the ADC081000/ ADC081500 (single or dual ADC), the LMH6555 forms an excellent 8-bit data acquisition system with analog bandwidths exceeding 750 MHz .
The LMH6555 is offered in a space saving 16-pin LLP package.

## Features

Typical values unless otherwise specified.

- -3 dB bandwidth $\left(\mathrm{V}_{\mathrm{OUT}}=0.80 \mathrm{~V}_{\mathrm{PP}}\right)$
1.2 GHz
- $\pm 0.5 \mathrm{~dB}$ gain flatness $\left(\mathrm{V}_{\mathrm{OUT}}=0.80 \mathrm{~V}_{\mathrm{PP}}\right)$ 330 MHz
- Slew rate 1300 V/ $\mu \mathrm{s}$
- $2^{\text {nd } / 3 r d ~}$ Harmonics $(750 \mathrm{MHz}) \quad-53 /-54 \mathrm{dBc}$
- Fixed gain
13.7 dB
- Supply current

120 mA

- Single supply operation $3.3 \mathrm{~V} \pm 10 \%$
- Adjustable common-mode output voltage


## Applications

- Differential ADC driver
- National Semiconductor ADC081500/ ADC081000 (single or dual) driver
- Single ended to differential converter
- Intermediate frequency (IF) amplifier
- Communication receivers
- Oscilloscope front end


## Typical Application



Single Ended to Differential Conversion

## Absolute Maximum Ratings <br> (Note 1) <br> If Military/Aerospace specified devices are required, please contact the National Semiconductor Sales Office/ Distributors for availability and specifications.

| ESD Tolerance (Note 5) |  |
| :--- | ---: |
| Human Body Model | 2000 V |
| $\quad$ Machine Model | 200 V |
| V $_{\text {S }}$ | 4.2 V |
| Output Short Circuit Duration |  |
| (one pin to ground) | Infinite |
| Common Mode Input Voltage | -0.4 V to 3 V |


| Maximum Junction Temperature | $+150^{\circ} \mathrm{C}$ |
| :--- | ---: |
| Storage Temperature Range | $-65^{\circ} \mathrm{C}$ to $+150^{\circ} \mathrm{C}$ |
| Soldering Information |  |
| $\quad$ Infrared or Convection $(20$ sec.) | $235^{\circ} \mathrm{C}$ |
| Wave Soldering (10 sec.) | $260^{\circ} \mathrm{C}$ |

## Operating Ratings (Note 1)

| Temperature Range (Note 4) | $-40^{\circ} \mathrm{C}$ to $+85^{\circ} \mathrm{C}$ |
| :--- | ---: |
| Supply Voltage Range | $+3.3 \mathrm{~V} \pm 10 \%$ |
| Package Thermal Resistance $\left(\theta_{\mathrm{JA}}\right)($ Note 4$)$ |  |
| $\quad 16$-Pin LLP | $65^{\circ} \mathrm{C} / \mathrm{W}$ |

### 3.3V Electrical Characteristics (Note 2)

Unless otherwise specified, all limits are guaranteed for $T_{A}=25^{\circ} \mathrm{C}, \mathrm{V}_{\text {CM_REF }}=1.2 \mathrm{~V}$, both inputs tied to 0.3 V through $50 \Omega$ $\left(R_{S 1} \& R_{S 2}\right)$ each (Note 11), $\mathrm{V}_{\mathrm{S}}=3.3 \mathrm{~V}, \mathrm{R}_{\mathrm{L}}=100 \Omega$ differential, $\mathrm{V}_{\mathrm{OUT}}=0.8 \mathrm{~V}_{\mathrm{PP}}$. See the Definition of Terms and Specification section for definition of terms used throughout the datasheet. Boldface limits apply at the temperature extremes.

| Symbol | Parameter | Conditions | $\begin{gathered} \text { Min } \\ \text { (Note 8) } \end{gathered}$ | $\begin{gathered} \text { Typ } \\ \text { (Note 7) } \end{gathered}$ | $\begin{gathered} \text { Max } \\ \text { (Note 8) } \end{gathered}$ | Units |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| AC/DC Performance |  |  |  |  |  |  |
| SSBW | -3 dB Bandwidth | $\mathrm{V}_{\text {OUT }}=0.25 \mathrm{~V}_{\text {PP }}$ |  | 1200 |  | MHz |
| LSBW |  | $\mathrm{V}_{\text {OUT }}=0.8 \mathrm{~V}_{\text {PP }}$ |  | 1200 |  |  |
| Peak | Peaking | $\mathrm{V}_{\text {OUT }}=0.8 \mathrm{~V}_{\text {PP }}$ |  | 1.4 |  | dB |
| GF_0.1 dB | Gain Flatness | $\pm 0.1 \mathrm{~dB}$ |  | 180 |  | MHz |
| GF_0.5 dB |  | $\pm 0.5 \mathrm{~dB}$ |  | 330 |  |  |
| Ph_Delta | Phase Delta | Output Differential Phase Difference $\mathrm{f} \leq 1.2 \mathrm{GHz}$ |  | $< \pm 0.8$ |  | deg |
| Lin_Ph | Linear Phase Deviation | Each Output $\mathrm{f} \leq 2 \mathrm{GHz}$ |  | < $\pm 30$ |  | deg |
| GD | Group Delay | Each Output $\mathrm{f} \leq 2 \mathrm{GHz}$ |  | 0.75 |  | ns |
| $\mathrm{P}_{-} 1 \mathrm{~dB}$ | 1 dB Compression | 1 GHz |  | 1 |  | $\mathrm{V}_{\text {PP }}$ |
| TRS/TRL | Rise/ Fall Time | $\mathrm{V}_{\text {OUT }}=0.2 \mathrm{~V}_{\text {PP }}$ Each Output |  | 320 |  | pS |
| OS | Overshoot | $\mathrm{V}_{\text {OUT }}=0.2 \mathrm{~V}_{\mathrm{PP}}$ Each Output |  | 14 |  | \% |
| SR | Slew Rate | 0.8V Step, 10\% to 90\%,(Note 6) |  | 1300 |  | V/ $\mu \mathrm{s}$ |
| $\mathrm{t}_{\mathrm{s}}$ | Settling Time | $\pm 1 \%$ |  | 2.2 |  | ns |
| $\mathrm{A}_{\text {V_DIFF }}$ | Insertion Gain ( $\mathrm{IS}_{21} 1$ ) | $\mathrm{DC}, \frac{\Delta \mathrm{~V}_{\mathrm{OUT}}}{\Delta \mathrm{~V}_{\mathrm{IN}}}$ | $\begin{aligned} & 13.2 \\ & 13.1 \end{aligned}$ | 13.7 | $\begin{aligned} & 14.0 \\ & 14.1 \end{aligned}$ | dB |
| TC A ${ }_{\text {V_DIFF }}$ | Temperature Coefficient of Insertion Gain |  |  | -0.9 |  | $\mathrm{mdB} /{ }^{\circ} \mathrm{C}$ |
| $\triangle \mathrm{A}_{\text {V_DIFF1 }}$ | Insertion Gain Variation with $V_{\text {Cm_ReF }}$ | $\mathrm{V}_{\text {CM_REF }}$ Input Varied from 0.95 V to $1.45, \mathrm{~V}_{\text {OUT }}=0.8 \mathrm{~V}_{\mathrm{PP}}$ |  | -0.04 | $\begin{aligned} & \pm 0.50 \\ & \pm 0.58 \end{aligned}$ | dB |
| $\triangle \mathrm{A}_{\text {V_DIFF2 }}$ | Insertion Gain Variation with $\mathrm{V}_{\text {I_CM }}$ | $-0.3 \leq \mathrm{V}_{\text {I CM }} \leq 2.0 \mathrm{~V}$ |  | $\pm 0.03$ | $\begin{aligned} & \pm 0.48 \\ & \pm 0.55 \end{aligned}$ | dB |
| Distortion And Noise Response |  |  |  |  |  |  |
| HD2_L | $2^{\text {nd }}$ Harmonic Distortion | 250 MHz (Note 12) |  | -60 |  | dBc |
| HD2_M |  | 500 MHz (Note 12) |  | -62 |  |  |
| HD2_H |  | 750 MHz (Note 12) |  | -53 |  |  |
| HD3_L | 3rd Harmonic Distortion | 250 MHz (Note 12) |  | -67 |  | dBc |
| HD3_M |  | 500 MHz (Note 12) |  | -61 |  |  |
| HD3_H |  | 750 MHz (Note 12) |  | -54 |  |  |


| Symbol | Parameter | Conditions | $\begin{array}{c\|} \hline \text { Min } \\ (\text { Note 8) } \end{array}$ | $\begin{aligned} & \text { Typ } \\ & \text { (Note 7) } \end{aligned}$ | $\begin{gathered} \text { Max } \\ \text { (Note 8) } \end{gathered}$ | Units |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| OIP3 | Output 3rd Order Intermodulation Intercept | $\begin{aligned} & \mathrm{f}=1 \mathrm{GHz} \\ & \mathrm{P}_{\text {out }}(\text { Each Tone }) \leq 8.5 \mathrm{dBm} \\ & (\text { Notes } 12,13) \end{aligned}$ |  | 27.5 |  | dBm |
| OIM3 | 3rd Order Intermodulation Distortion | $\begin{aligned} & \hline \mathrm{f}=1 \mathrm{GHz} \\ & \mathrm{P}_{\text {out }}(\text { Each Tone })=-6 \mathrm{dBm} \\ & (\text { Notes } 12,13) \\ & \hline \end{aligned}$ |  | -67 |  | dBc |
| $\mathrm{e}_{\text {no }}$ | Output Referred Voltage Noise | $\geq 1 \mathrm{MHz}$ |  | 19 |  | $\mathrm{nV} / \sqrt{\mathrm{Hz}}$ |
| NF | Noise Figure | Relative to a Differential Input $\geq 10 \mathrm{MHz}$ |  | 15.0 |  | dB |
| Input Characteristics |  |  |  |  |  |  |
| $\mathrm{R}_{\mathrm{IN}}$ | CM Input Resistance | Each Input to Ground | 45 | 50 | 55 | $\Omega$ |
| $\mathrm{R}_{\text {IN_DIFF }}$ | Differential Input Resistance | Differential | 66 | 78 | 100 | $\Omega$ |
| $\mathrm{C}_{\text {IN }}$ | Input Capacitance | Each Input to GND |  | 0.3 |  | pF |
| CMRR | Common Mode Rejection Ratio | $-0.3 \leq$ CMVR $\leq 2.0 \mathrm{~V}$ | $\begin{aligned} & 40 \\ & 36 \end{aligned}$ | 68 |  | dB |
| Output Characteristics |  |  |  |  |  |  |
| $\mathrm{V}_{\text {OOS }}$ | Output Offset Voltage | Differential Mode |  | 15 | $\begin{aligned} & \pm 50 \\ & \pm 55 \end{aligned}$ | mV |
| $\mathrm{TCV}_{\text {OOS }}$ | Output Offset Voltage Average Drift | (Note 9) |  | $\pm 100$ |  | $\mu \mathrm{V} /{ }^{\circ} \mathrm{C}$ |
| $\mathrm{R}_{0}$ | Output Resistance | $\mathrm{R}_{\mathrm{T} 1}$ and $\mathrm{R}_{\mathrm{T} 2}$ | 43 | 50 | 53 | $\Omega$ |
| BAL_Error_DC | Output Gain Balance Error | $D C, \frac{\Delta V_{\text {O_CM }}}{\Delta V_{\text {OUT }}}$ |  | -57 | -38 | dB |
| BAL_Error_AC |  | $\mathrm{f}=750 \mathrm{MHz}, \frac{\mathrm{v}_{\mathrm{O} \text { CM }}}{\mathrm{v}_{\text {OUT }}}$ |  | -48 |  | dB |
| BAL_Error_AC_ <br> Phase | Output Phase Balance Error | $\begin{array}{\|l\|} \hline \mathrm{f}=750 \mathrm{MHz}, \\ \mathrm{~V}_{\text {OUT+}}- \\ -\mathrm{V}_{\text {OUT- }} \end{array} \text { Phase }$ |  | $\pm 0.6$ |  | deg |
| $\left\|\Delta \mathrm{V}_{\text {O_CM }} / \Delta \mathrm{V}_{\text {I_CM }}\right\|$ | Output Common Mode Gain | DC |  | -26 | $\begin{aligned} & \hline-22 \\ & -21 \end{aligned}$ | dB |
| $\mathrm{V}_{\text {CM_REF }}$ Characteristics |  |  |  |  |  |  |
| $\mathrm{V}_{\text {OS_CM }}$ | Output CM Offset Voltage | $\mathrm{V}_{\text {OS_CM }}=\mathrm{V}_{\text {O_CM }}-\mathrm{V}_{\text {CM_REF }}$ |  | -4 | $\begin{aligned} & \pm 60 \\ & \pm 85 \end{aligned}$ | mV |
| TC_V ${ }_{\text {Os_cm }}$ | CM Offset Voltage Temp Coefficient |  |  | -0.2 |  | $\mathrm{mV} /{ }^{\circ} \mathrm{C}$ |
| $\mathrm{I}_{\text {B_CM }}$ | $\mathrm{V}_{\text {CM_ReF }}$ Bias Current | $0.95 \mathrm{~V} \leq \mathrm{V}_{\text {CM_REF }} \leq 1.45 \mathrm{~V}$ (Note 10) |  | -25 | $\begin{aligned} & \pm 390 \\ & \pm 415 \end{aligned}$ | $\mu \mathrm{A}$ |
| $\mathrm{R}_{\text {IN_CM }}$ | $\mathrm{V}_{\text {CM_REF }}$ Input Resistance |  | 3.5 | 5.8 |  | $\mathrm{k} \Omega$ |
| Gain_V ${ }_{\text {CM_REF }}$ | $\mathrm{V}_{\text {CM_ReF }}$ Input Gain to Output | $\Delta \mathrm{V}_{\mathrm{O}_{2} \mathrm{CM}} / \Delta \mathrm{V}_{\text {CM_REF }}$ | 0.97 | 0.99 | 1.00 | V/V |
| Power Supply |  |  |  |  |  |  |
| $\mathrm{I}_{\text {S }}$ | Supply Current | $\mathrm{R}_{\mathrm{S} 1} \& \mathrm{R}_{\mathrm{S} 2}$ Open (Note 3) |  | 120 | $\begin{aligned} & 150 \\ & 156 \end{aligned}$ | mA |
| PSRR | Differential Power Supply Rejection Ratio | $\mathrm{DC}, \Delta \mathrm{V}_{\mathrm{S}}= \pm 0.3 \mathrm{~V}, \Delta \mathrm{~V}_{\text {OUT }} / \Delta \mathrm{V}_{\mathrm{S}}$ | $\begin{aligned} & \hline-27 \\ & -25 \end{aligned}$ | -44 |  | dB |
| PSRR_CM | Common Mode PSRR | $\mathrm{DC}, \Delta \mathrm{V}_{\mathrm{S}}= \pm 0.3 \mathrm{~V}, \Delta \mathrm{~V}_{\mathrm{O}-\mathrm{Cm}} / \Delta \mathrm{V}_{\mathrm{S}}$ | $\begin{aligned} & \hline-29 \\ & -27 \\ & \hline \end{aligned}$ | -39 |  | dB |

Note 1: Absolute Maximum Ratings indicate limits beyond which damage to the device may occur. Operating Ratings indicate conditions for which the device is intended to be functional, but specific performance is not guaranteed. For guaranteed specifications, see the Electrical Characteristics tables.
Note 2: Electrical Table values apply only for factory testing conditions at the temperature indicated. Factory testing conditions result in very limited self-heating of the device such that $T_{J}=T_{A}$. No guarantee of parametric performance is indicated in the electrical tables under conditions of internal self-heating where $T_{J}>$ $\mathrm{T}_{\mathrm{A}}$.
Note 3: Total supply current is affected by the input voltages connected through $R_{S_{1}}$ and $R_{S 2}$. Supply current tested with input removed.
Note 4: The maximum power dissipation is a function of $T_{J(M A X)}, \theta_{J A}$ and $T_{A}$. The maximum allowable power dissipation at any ambient temperature is $P_{D}=\left(T_{J(\operatorname{MAX})}-T_{A}\right) / \theta_{J A}$. All numbers apply for package soldered directly into a 2 layer PC board with zero air flow. Package should be soldered unto a 6.8 $\mathrm{mm}^{2}$ copper area as shown in the "recommended land pattern" shown in the package drawing.
Note 5: Human Body Model, applicable std. MIL-STD-883, Method 3015.7. Machine Model, applicable std. JESD22-A115-A (ESD MM std. of JEDEC)
Field-Induced Charge-Device Model, applicable std. JESD22-C101-C (ESD FICDM std. of JEDEC).
Note 6: Slew Rate is the average of the rising and falling edges.
Note 7: Typical values represent the most likely parametric norm as determined at the time of characterization. Actual typical values may vary over time and will also depend on the application and configuration. The typical values are not tested and are not guaranteed on shipped production material.
Note 8: Limits are $100 \%$ production tested at $25^{\circ} \mathrm{C}$. Limits over the operating temperature range are guaranteed through correlation using Statistical Quality Control (SQC) methods.
Note 9: Drift determined by dividing the change in parameter at temperature extremes by the total temperature change.
Note 10: Positive current is current flowing into the device.
Note 11: Quiescent device common mode input voltage is 0.3 V .
Note 12: Distortion data taken under single ended input condition.
Note 13: $0 \mathrm{dBm}=894 \mathrm{mV}_{\text {PP }}$ across $100 \Omega$ differential load

## Ordering Information

| Package | Part Number | Package Marking | Transport Media | NSC Drawing |
| :---: | :---: | :---: | :---: | :---: |
| $16-$ Pin LLP | LMH6555SQ |  |  |  |
|  | LMH6555SQE | L6555SQ |  | SQA16A Units Tape and Reel |
|  | LMH6555SQX |  | 250 Units Tape and Reel |  |
|  |  |  | 4.5 k Units Tape and Reel |  |

## Connection Diagram



## Definition of Terms and Specifications (Alphabetical Order)

Typical Performance Characteristics Unless otherwise specified, $\mathrm{R}_{\mathrm{S} 1}=\mathrm{R}_{\mathrm{S2}}=50 \Omega, \mathrm{~V}_{\mathrm{S}}=3.3 \mathrm{~V}$, $R_{L}=100 \Omega$ differential, $V_{\text {OUT }}=0.8 V_{P P}$. See the Definition of Terms and Conditions section for definition of terms used throughout the datasheet.


20127773
Linear Phase Deviation \& Group Delay


20127759



20127760
Bal_Error vs. Frequency


20127758



20127771


20127770


Harmonic Distortion vs. Frequency



Insertion Gain Variation vs. Input Amplitude



CMRR vs. Frequency


20127754

## S_Parameters vs. Frequency




20127775

## Noise Density \& Noise Figure



20127755

## Differential Output Offset Variation for

 3 Representative Units

Common Mode Offset Voltage Variation vs. V $_{\text {CM_ReF }}$


Supply Current vs. Temperature


## Application Information

See the Definition of Terms and Conditions section for definition of terms used.

## GENERAL

The LMH6555 consists of three individual amplifiers: The $\mathrm{V}_{\text {OUT+ }}$ driver, $\mathrm{V}_{\text {OUT- }}$ driver, and the common mode amplifier. Being a differential amplifier, the LMH6555 will not respond to the common mode input (as long as it is within its input common mode range) and instead the output common mode
is forced by the built-in common mode amplifier with $\mathrm{V}_{\text {CM_REF }}$ as its input. As shown, in Figure 1 below, the $\mathrm{V}_{\mathrm{CMO}}$ output of most differential high speed ADC's is tied to the $\mathrm{V}_{\text {CM REF }}$ input of the LMH6555 for direct output common mode control. In some cases, the output drive capability of the ADC $\mathrm{V}_{\text {смо }}$ output may need an external buffer, as shown, to increase its current capability in order to drive the $\mathrm{V}_{\text {CM REF }}$ pin. The LMH6555 Electrical Characteristics table shows the gain (Gain_ $\mathrm{V}_{\text {CM_REF }}$ ) and the offset $\left(\mathrm{V}_{\mathrm{OS}}\right.$ _CM $)$ from the $\mathrm{V}_{\mathrm{CM} \text { _REF }}$ to the device output common mode.


FIGURE 1. Single Ended to Differential Conversion

The single ended input and output impedances of the LMH6555 I/O pins are close to $50 \Omega$ as specified in the Electrical Characteristics table ( $\mathrm{R}_{\text {IN }}$ and $\mathrm{R}_{0}$ ). With differential input drive, the differential input impedance ( $\mathrm{R}_{\text {IN_DIFF }}$ ) is close to $78 \Omega$.
The device nominal input common mode voltage ( $\mathrm{V}_{\mathrm{I}} \mathrm{CM}$ ) is close to 0.3 V when $\mathrm{R}_{\mathrm{S} 1}$ and $\mathrm{R}_{\mathrm{S} 2}$ of Figure 1 are open. Thus, the input source will experience a DC current with OV input. Because of this, the differential output offset voltage is influenced by the matching between $\mathrm{R}_{\mathrm{S} 1}$ and $\mathrm{R}_{\mathrm{S} 2}$. So, in a single ended input condition, if the signal source is AC coupled to one input, the undriven input needs to also be AC coupled in order to cancel the output offset voltage ( $\mathrm{V}_{\mathrm{OOS}}$ ).
In applications where low output offset is required, it is possible to inject some current to the appropriate input
( $\mathrm{V}_{\mathrm{IN}^{+}}$or $\mathrm{V}_{\mathrm{IN}}$ ) as an effective method of trimming the output offset voltage of the LMH6555. This is explained later in this document. The nominal value of $R_{S 1}$ and $R_{S 2}$ will also affect the insertion gain ( $A_{V \text { DIFF }}$ ). The LMH6555 can also be used with the input AC coupled through equal valued DC blocking capacitors ( C ) in series with $\mathrm{V}_{\mathrm{IN}^{+}}$and $\mathrm{V}_{\mathrm{IN}^{-}}$. In this case, the coupling capacitors need to be large enough to not block the low frequency content. The lower cutoff frequency will be $1 /\left(\pi R_{E Q} C\right) H z$ with $R_{E Q}=R_{S 1}+R_{S 2}+R_{\text {IN_DIFF }}$ where $R_{\text {IN_DIFF }}$ $\approx 78 \Omega$.
The single ended output impedance of the LMH6555 is $50 \Omega$. The LMH6555 Electrical Characteristics shows the device performance with $100 \Omega$ differential output load, as would be the case if a device such as the ADC081000/ ADC081500 (single/ dual ADC) were being driven.

## CIRCUIT ANALYSIS

Figure 2 shows the block diagram of the LMH6555.

$R_{G 1}=R_{G 2}=R_{G}=39 \Omega$
$R_{E 1}=R_{E 2}=R_{E}=25 \Omega$
$R_{F 1}=R_{F 2}=R_{F}=430 \Omega$
$I_{C Q 1}=I_{C Q 2}=12.6 \mathrm{~mA}$
FIGURE 2. Block Diagram

The differential input stage consists of cross-coupled common base bipolar NPN stages, Q1 and Q2. These stages give the device its differential input characteristic. The internal loop gain from $\mathrm{V}_{\mathrm{x}}$ and $\mathrm{V}_{\mathrm{y}}$ internal nodes (Q1 and Q2 emitters) to the output is large, such that these nodes act as a virtual ground. The cross-coupling will ensure that these nodes are at the same voltage as long as the amplifier is operating within its normal range. Output common mode voltage is enforced
through the action of " $\mathrm{A}_{C M}$ " which servos the output common mode to the " $\mathrm{V}_{\mathrm{CM} \text { _REF" }}$ input voltage.
The discussion that follows, provides the formulas needed to analyze single ended and differential input applications. For a more detailed explanation including derivations, please see the Appendix at the end of the datasheet.

## SINGLE-ENDED INPUT

The following is the procedure for determining the device operating conditions for single ended input applications. This example will use the schematic shown in Figure 3.


FIGURE 3. Single-Ended Input Drive

1. Determine the driven input's $\left(\mathrm{V}_{\mathrm{IN}^{+}}\right.$or $\left.\mathrm{V}_{\mathrm{IN}^{-}}\right)$swing knowing that each input common mode impedance to ground $\left(R_{\text {IN }}\right)$ is $50 \Omega$ :

$$
\mathrm{V}_{\mathrm{IN}}+\left(\text { or } \mathrm{V}_{\mathrm{IN}}-\right)=\mathrm{V}_{\mathrm{IN}} \cdot R_{I N} /\left(R_{I N}+R_{S}\right)
$$

For Figure 3

$$
\mathrm{V}_{\mathrm{IN}^{+}}=0.3 \mathrm{~V}_{\mathrm{PP}} \cdot 50 /(50+50)=0.15 \mathrm{~V}_{\mathrm{PP}}
$$

2. Calculate $\mathrm{V}_{\text {OUT }}$ knowing the Insertion Gain $\left(\mathrm{A}_{\mathrm{V}_{\text {_DIFF }}}\right)$ :
$\mathrm{V}_{\text {OUT }}=\left(\mathrm{V}_{\text {IN }} / 2\right) \cdot A_{\mathrm{V}_{\text {_DIFF }}}$
$A_{\text {V_DIFF }}=\mathbf{2} \cdot \mathbf{R}_{\mathrm{F}} /\left(2 \mathrm{R}_{\mathrm{S}}+\mathbf{R}_{\text {IN_DIFF }}\right)$
where $R_{F}=430 \Omega$ \& $R_{\text {IN_DIFF }}=78 \Omega$

For Figure 3

$$
\begin{aligned}
& R_{\mathrm{S}}=50 \Omega \rightarrow \mathrm{~A}_{\mathrm{V} \text { _DIFF }}=4.83 \mathrm{~V} / \mathrm{V} \\
& \mathrm{~V}_{\text {OUT }}=\left(0.3 \mathrm{~V}_{\mathrm{PP}} / 2\right) \cdot 4.83 \mathrm{~V} / \mathrm{V}=724.5 \mathrm{mV}_{\mathrm{PP}}
\end{aligned}
$$

3. Determine the peak-to-peak differential current ( $\mathrm{I}_{\text {IN_DIFF }}$ ) through the device's differential input impedance ( $\mathrm{R}_{\text {IN_DIFF }}$ ) which would result in the $\mathrm{V}_{\text {OUT }}$ calculated in step 2:

$$
\mathrm{I}_{\text {IN_DIFF }}=\mathrm{V}_{\text {OUT }} / R_{F}
$$

For Figure 3

$$
\mathrm{I}_{\mathrm{IN} \text { _DIFF }}=724.5 \mathrm{mV}_{\mathrm{PP}} / 430 \Omega=1.685 \mathrm{~mA}_{\mathrm{PP}}
$$

4. Determine the swing across the input terminals
( $\mathrm{V}_{\text {IN_DIFF }}$ ) which would give rise to the $\mathrm{I}_{\text {IN_DIFF }}$ calculated in step 3 above.
$\mathbf{V}_{\text {IN_DIFF }}=\mathrm{I}_{\text {IN_DIFF }} \cdot \mathbf{R}_{\text {IN_DIFF }}$

For Figure 3
$V_{\text {IN_DIFF }}=1.685 \mathrm{~mA}_{\text {PP }} \cdot 78 \Omega=131.4 \mathrm{mV}_{\text {PP }}$
5. Calculate the undriven input's swing, based on $\mathrm{V}_{\text {IN_DIFF }}$ determined in step 4 and $\mathrm{V}_{1 \mathrm{~N}^{+}}$calculated in step 1:
$\mathbf{V}_{\text {IN }^{-}}=\mathrm{V}_{\text {IN }^{+}}-\mathrm{V}_{\text {IN_DIFF }}$

For Figure 3
$\mathrm{V}_{\mathrm{IN}^{-}}=150 \mathrm{mV}_{\mathrm{PP}}-131.4 \mathrm{mV}_{\mathrm{PP}}=18.6 \mathrm{mV}_{\mathrm{PP}}$
6. Determine the DC average of the two inputs ( $\mathrm{V}_{\mathrm{I} \text { _CM }}$ ) by using the following expression:
$\mathrm{V}_{\mathrm{I} \_\mathrm{CM}}=\mathbf{1 2 . 6} \mathrm{mA} \cdot \mathrm{R}_{\mathrm{E}} \cdot \mathrm{R}_{\mathrm{S}} /\left(\mathrm{R}_{\mathrm{S}}+\mathrm{R}_{\mathrm{G}}+\mathrm{R}_{\mathrm{E}}\right)$
where $R_{E}=25 \Omega$ \& $R_{G}=39 \Omega$ (both internal
to the LMH6555)

For Figure 3

$$
\begin{aligned}
& \mathbf{R}_{\mathbf{S}}=50 \Omega \rightarrow \mathbf{V}_{\mathbf{I} \text { CM }}=15.75 /\left(\mathbf{R}_{\mathbf{S}}+64\right) \\
& V_{\text {I_CM }=15.75 /(50+64)=138.2 \mathrm{mV}}
\end{aligned}
$$

The values determined with the procedure outlined here are shown in Figure 4.


FIGURE 4. Input Voltage for Figure 3 Schematic

## DIFFERENTIAL INPUT

The following is the procedure for determining the device operating conditions for differential input applications using the Figure 5 schematic as an example.


Assuming transformer secondary, $\mathrm{V}_{\mathrm{IN}}$, of $300 \mathrm{mV} \mathrm{VP}_{\mathrm{PP}}$

## FIGURE 5. Differential Input Drive

1. Calculate the swing across the input terminals ( $\mathrm{V}_{\text {IN_DIFF }}$ ) by considering the voltage division from the differential source $\left(\mathrm{V}_{\mathrm{IN}}\right)$ to the LMH6555 input terminals with differential input impedance $\mathrm{R}_{\text {IN_DIFF } \text { : }}$
$\mathbf{V}_{\text {IN_DIFF }}=\mathbf{V}_{\text {IN }} \cdot R_{\text {IN_DIFF }} /\left(\mathbf{2 R}_{S}+R_{\text {IN_DIFF }}\right)$

For Figure 5
$\mathrm{V}_{\text {IN_DIFF }}=300 \mathrm{mV}_{\mathrm{PP}} \cdot 78 /(100+78)=131.5 \mathrm{mV}_{\mathrm{PP}}$
2. Calculate each input pin swing to be $1 / 2$ the swing determined in step 1:

$$
\mathrm{V}_{\mathrm{IN}^{+}}=\mathrm{V}_{\mathrm{IN}^{-}}=\mathrm{V}_{\mathrm{IN} \text { _DIFF }} / 2
$$

For Figure 5
$\mathrm{V}_{\mathrm{IN}^{+}}=\mathrm{V}_{\mathrm{IN}^{-}}=131.5 \mathrm{mV}_{\mathrm{PP}} / 2=65.7 \mathrm{mV}_{\mathrm{PP}}$
3. Determine the DC average of the two inputs $\left(\mathrm{V}_{\mathrm{I} \_\mathrm{CM}}\right)$ by using the following expression:
$V_{I_{I} C M}=12.6 \mathrm{~mA} \cdot R_{E} \cdot R_{S} /\left(R_{S}+R_{G}+R_{E}\right)$
where $R_{E}=25 \Omega$ \& $R_{G}=39 \Omega$ (both internal
to the LMH6555)

For Figure 5
$R_{\mathrm{S}}=50 \Omega \rightarrow \mathrm{~V}_{\mathrm{I}-\mathrm{Cm}}=15.75 /\left(\mathbf{R}_{\mathrm{S}}+64\right)$
$V_{\text {I_См }}=15.75 /(50+64)=138.2 \mathrm{mV}$
4. Calculate $\mathrm{V}_{\text {OUT }}$ knowing the Insertion Gain ( $\mathrm{A}_{\mathrm{V}_{-} \mathrm{DIFF}}$ ):
$\mathrm{V}_{\text {OUT }}=\left(\mathrm{V}_{\text {IN }} \cdot / 2\right) \cdot A_{\mathrm{V}_{\text {_DIFF }}}$
$A_{V_{\text {_DIFF }}}=\mathbf{2} \cdot \mathbf{R}_{\mathrm{F}} /\left(\mathbf{2 R}_{\mathrm{S}}+\mathbf{R}_{\text {IN_DIFF }}\right)$
where $R_{F}=430 \Omega$ \& $R_{\text {IN_DIFF }}=78 \Omega$

For Figure 5

$$
\begin{aligned}
& \mathrm{R}_{\mathrm{S}}=50 \Omega \rightarrow \mathrm{~A}_{\mathrm{V} \text { _DIFF }}=4.83 \mathrm{~V} / \mathrm{V} \\
& \mathrm{~V}_{\text {OUT }}=\left(0.3 \mathrm{~V}_{\mathrm{PP}} / 2\right) \cdot 4.83 \mathrm{~V} / \mathrm{V}=724.5 \mathrm{mV}_{\mathrm{PP}}
\end{aligned}
$$

The values determined with the procedure outlined here are shown in Figure 6.


## FIGURE 6. Input Voltage for Figure 5 Schematic

## SOURCE IMPEDANCE(S) AND THEIR EFFECT ON GAIN AND OFFSET

The source impedances $\mathrm{R}_{\mathrm{S} 1}$ and $\mathrm{R}_{\mathrm{S} 2}$, as shown in Figure 3 or Figure 5, affect gain and output offset. The datasheet tables and typical performance graphs are generated with equal valued source impedances $R_{S 1}$ and $R_{S 2}$, unless otherwise specified. Any mismatch between the values of these two impedances would alter the gain and offset voltage.

## OUTPUT OFFSET CONTROL AND ADJUSTMENT

There are applications which require that the LMH6555 differential output voltage be set by the user. An example of such an application is a unipolar signal which is converted to a differential output by the LMH6555. In order to utilize the full scale range of the ADC input, it is beneficial to shift the LMH6555 outputs to the limits of the ADC analog input range under minimal signal condition. That is, one LMH6555 output is shifted close to the negative limit of the ADC analog input and the other close to the positive limit of the ADC analog input. Then, under maximum signal condition, with proper gain, the full scale range of the ADC input can be traversed and the ADC input dynamic range is properly utilized. If this forced offset were not imposed, the ADC output codes would be reduced to half of what the ADC is capable of producing, resulting in a significant reduction in ENOB. The choice of the direction of this shift is determined by the polarity of the expected signal.
Another scenario where it may be necessary to shift the LMH6555 output offset voltage is in applications where it is necessary to improve the specified Output Offset Voltage (differential mode), " $\mathrm{V}_{\text {OOs" }}$. Some ADC's, including the ADC081000/ ADC081500 (and their dual counterparts), have internal registers to correct for the driver's (LMH6555) $\mathrm{V}_{\text {Oos }}$. If the LMH6555 $\mathrm{V}_{\text {oos }}$ rating exceeds the maximum value allowed into this register, then shifting the output is required for maximum ADC performance.
It is possible to affect output offset voltage by manipulating the value of one input resistance relative to the other (e.g. $R_{S 1}$ relative to $R_{S 2}$ or vice versa). However, this will also alter the gain. Assuming that the source is applied to the $\mathrm{V}_{\mathrm{IN}^{+}}$side through $\mathrm{R}_{\mathrm{S} 1}$, Figure $7(A)$ shows the effect of varying $\mathrm{R}_{\mathrm{S} 1}$ on the overall gain and output offset voltage. Figure $7(B)$ shows the same effects but this time for when the undriven side impedance, $R_{S 2}$, is varied.


FIGURE 7. Gain \& Output Offset Voltage vs. Source Impedance Shift for Single Ended Input Drive

As can be seen in Figure 7, the source impedance of the input side being driven has a bigger effect on gain than the undriven source impedance. $R_{S 1}$ and $R_{S 2}$ affect the output offset in opposite directions. Manipulating the value of $\mathrm{R}_{\mathrm{S} 2}$ for offset control has another advantage over doing the same to $\mathrm{R}_{\mathrm{S} 1}$ and that is the signal input termination is not affected by it. This is especially important in applications where the signal is applied to the LMH6555 through a transmission line which needs to be terminated in its characteristic impedance for minimum reflection.
For reference, Figure 8 shows the effect of source impedance misbalance on overall gain and output offset voltage with differential input drive.


20127732
FIGURE 8. Gain \& Output Offset Voltage vs. Source Impedance Shift for Differential Input Drive

It is possible to manipulate output offset with little or no effect on source resistance balance, gain, and, cable termination.

(a)

(b)

FIGURE 9. Differential Output Shift Circuits
$\mathrm{R}_{\mathrm{x}}$, shown in Figure 9(a) and Figure 9(b), injects current into the input to achieve the required output shift. For a positive shift, positive current would need to be injected into the $\mathrm{V}_{\mathrm{IN}^{+}}$ terminal (Figure 9(a)) and for a negative shift, to the $\mathrm{V}_{\mathrm{IN}}$ terminal (Figure 9(b)). Figure 10 shows the effect of $\mathrm{R}_{\mathrm{X}}$ on the output with $\mathrm{V}_{\mathrm{X}}=3.3 \mathrm{~V}$ or 5 V , and $\mathrm{R}_{\mathrm{S} 1}=\mathrm{R}_{\mathrm{S} 2}=50 \Omega$.


20127734

## FIGURE 10. LMH6555 Differential Output Shift Due to $\mathbf{R}_{\mathbf{x}}$

 in Figure 9To shift the LMH6555 differential output negative by about 100 mV , referring to the plot in Figure 10, $\mathrm{R}_{\mathrm{X}}$ would be chosen to be around $3.9 \mathrm{k} \Omega$ in the schematic of Figure 9(b) (using $V_{\mathrm{X}}=\mathrm{V}_{\mathrm{S}}=3.3 \mathrm{~V}$ ).
In applications where $\mathrm{V}_{\mathbb{I N}}$ has a built-in non-zero offset voltage, or when $R_{S 1}$ and $R_{S 2}$ are not $50 \Omega$, the Figure 10 plot cannot be used to estimate the required value for $\mathrm{R}_{\mathrm{x}}$.
Consider the case of a more general offset correction application, shown in Figure 11(a), where $R_{S 1}=R_{S 2}=75 \Omega$ and $\mathrm{V}_{\text {IN }}$ has a built-in offset of -50 mV . It is necessary to shift the differential output offset voltage of the LMH6555 to 0 mV . Figure 11(b) is the Thevenin equivalent of the circuit in Figure 11(a) assuming $R_{X} \gg R_{S 2}$.


FIGURE 11. Offset Correction Example ( $\mathrm{R}_{\mathrm{S}}=75 \Omega$ )

From the gain expression in Equation 4 (see Appendix) (but with opposite polarity because $\mathrm{V}_{\mathrm{TH}}$ is applied to $\mathrm{V}_{\mathrm{IN}_{-}}$instead):

$$
\begin{align*}
& \frac{V_{\text {OUT }}}{V_{\text {TH }}}=\frac{-R_{F}}{2 R_{S}+78} \Rightarrow \\
& V_{\text {OUT }}=\frac{-430 \Omega}{(150+78) \Omega} \times\left(-50 \mathrm{mV}+\frac{75}{R_{\mathrm{X}}} 3.3 \mathrm{~V}\right) \tag{1}
\end{align*}
$$

The expression derived for $\mathrm{V}_{\text {OUT }}$ in Equation 1 can be set equal to zero to solve for $\mathrm{R}_{\mathrm{x}}$ resulting in $\mathrm{R}_{\mathrm{x}}=4.95 \mathrm{k} \Omega$. If the differential output offset voltage, $\mathrm{V}_{\mathrm{OOS}}$, is also known, $\mathrm{V}_{\text {OUT }}$ could be set to a value equal to $-\mathrm{V}_{\text {oos }}$. For example, if the $\mathrm{V}_{\text {Oos }}$ for the particular LMH6555 is +30 mV , then the following nulls the differential output:

$$
\begin{align*}
& V_{\text {OUT }}=-30 \mathrm{mV}=(-1.89)\left(-50 \mathrm{mV}+\frac{248}{R_{\mathrm{X}}}\right) \\
& \Rightarrow R_{\mathrm{X}}=3.76 \mathrm{k} \Omega \tag{2}
\end{align*}
$$

$R_{X} \gg R_{S 2}$ confirming the assumption made in the derivation. Note that Equation 2, which is derived based on the configuration in Figure 9(b), will yield a real solution for $\mathrm{R}_{\mathrm{x}}$ if and only if:

$$
\begin{align*}
& \mathrm{V}_{\mathrm{OOS}} \geq\left(\mathrm{V}_{\text {IN OFFSET }} \times 1.89\right) \\
& \text { (for Figure } 11(b) \text { and with } \mathrm{R}_{\mathrm{S}}=75 \Omega \text { ) } \tag{3}
\end{align*}
$$

where $\mathrm{V}_{\text {IN_OFFSET }}$ is the source offset shown as -50 mV in Figure 11(a).
If Equation 3 were not satisfied, then Figure 9(a) offset correction, where $R_{X}$ is tied to the $V_{\mathrm{IN}^{+}}$side, should be employed instead.
Alternatively, replace the $V_{X}$ and $R_{X}$ combination with a discrete current source or current sink. Because of a current source's high output impedance, there will be less gain imbalance. However, a current source might have a relatively large output capacitance which could degrade high frequency performance.

## INTERFACE DESIGN EXAMPLE

As shown in Figure 12 below, the LMH6555 can be used to interface an open collector output device (U1) to a high speed ADC. In this application, the LMH6555 performs the task of amplifying and driving the $100 \Omega$ differential input impedance of the ADC.

$\mathrm{V}_{\text {CM_REF }}$ buffer not shown
20127706

FIGURE 12. Differential Amplification and ADC Drive

For applications similar to the one shown in Figure 12, the following conditions should be maintained:

1. The LMH6555 differential output voltage has to comply with the ADC full scale voltage ( 800 mV Pp in this case).
2. The LMH6555 input Common Mode Voltage Range is observed. "CMVR", as specified in the Electrical Characteristics table, is to be between -0.3 V and 2.0 V for the specified CMRR.
3. U1 collector voltage swing must to be observed so that the U1 output transistors do not saturate. The expected operating range of these output transistors is defined by the specifications and operating conditions of U1.
Consider a numerical example ( $\mathrm{R}_{\mathrm{L}}$ refers to $\mathrm{R}_{\mathrm{L} 1}$ \& $\mathrm{R}_{\mathrm{L} 2}, \mathrm{R}_{\mathrm{S}}$ refers to $\mathrm{R}_{\mathrm{S} 1} \& \mathrm{R}_{\mathrm{S} 2}$ ).
Assume:
$\mathrm{V}_{\mathrm{CC}}=10 \mathrm{~V}$, U1 peak-to-peak collector current $\left(I_{P P}\right)=15 \mathrm{~mA}_{\mathrm{PP}}$ with 10 mA quiescent $\left(\mathrm{I}_{\mathrm{cQ}}\right)$, and minimum operational U1 collector voltage $=6 \mathrm{~V}$.
Here are the series of steps to take in order to carry out this design:
a. Select the $R_{L}$ value which allows compliance with the U1 collector voltage ( 6 V in this case) with 1 V extra as margin because of LMH6555 loading.
$R_{L}=[10-(6+1)] \mathrm{V} /(10+7.5) \mathrm{mA}=171 \Omega$
Choose $169 \Omega, 1 \%$ resistors for $R_{L}$
b. Find the value of $R_{S}$ to get the proper swing at the output ( 800 mV PP ). To do so, convert the input stage into its Norton equivalent as shown in Figure 13.

$I_{N}=\frac{1}{R_{L}+R_{S}+R_{G}}[(\underbrace{V_{C O D E}}_{\substack{\text { COMMON } \\ V_{C O}-I_{C Q} R_{L}}}-\underbrace{I_{P P} R_{L}}_{\text {DIFFERENTIAL }}]$ $R_{N}=R_{L}+R_{S}+R_{G}$

## FIGURE 13. Norton Equivalent of the Input Circuitry Tied

 to Q1 within the LMH6555 in Figure 12$I_{N}=I_{N}$ (common mode) $+I_{N}$ (differential)
$I_{N}($ common mode $)=\left(V_{C C}-I_{C Q}{ }^{*} R_{L}\right) /\left(R_{L}+R_{S}+R_{G}\right)$ $I_{N}($ differential $)=I_{P P}{ }^{*} R_{L} /\left(R_{L}+R_{S}+R_{G}\right)$

The entirety of the Norton source differential component will flow through the feedback resistors within the LMH6555 and generate an output. Therefore:
$\mathrm{I}_{\mathrm{N}}$ (differential) * $\mathrm{R}_{\mathrm{F}}=800 \mathrm{mV}_{\mathrm{PP}}$
$\rightarrow R_{S}=\left(R_{L}{ }^{*} I_{P P}{ }^{*} R_{F} / 0.8\right)-R_{G}-R_{L}$ where $R_{F}=430 \Omega$,
$R_{G}=39 \Omega\left(R_{F}\right.$ and $R_{G}$ are internal LMH6555
resistances).

So, in this case:
$R_{S}=\left(169 * 15 \mathrm{~mA}_{\mathrm{PP}} * 430 / 0.8\right)-39-169=1154 \Omega$
Choose $1.15 \mathrm{k} \Omega$, $1 \%$ resistors for $\mathrm{R}_{\mathrm{S}}$.
c. With $R_{L}$ and $R_{S}$ defined, ensure that the U1 collector voltage(s) minimum is not violated due to the loading effect of the LMH6555 through R $_{\mathrm{S}}$. Also, it is important to ensure that the LMH6555's CMVR is also not violated.

The " $\mathrm{V}_{\mathrm{x}}$ " node voltage within the LMH6555 (see Figure 13) would need to be calculated. Use the Common Mode component of the Norton equivalent source from above, and write the KCL at the $\mathrm{V}_{\mathrm{x}}$ node as follows:
$V_{x} / R_{E}+V_{x} / R_{N}=12.6 \mathrm{~mA}+I_{N}$ (common mode); with $R_{E}=25 \Omega$.
$V_{x} / R_{E}+V_{x} / R_{N}=12.6 m A+\left(V_{C C}-I_{C Q} R_{L}\right) /\left(R_{L}+R_{S}\right.$
$+R_{G}$ )
$\rightarrow \mathrm{V}_{\mathrm{x}}=0.4595 \mathrm{~V}$

With $\mathrm{V}_{\mathrm{x}}$ calculated, both the input voltage range (high and low) and the low end of the U1 collector voltage $\left(\mathrm{V}_{\mathrm{C}}\right)$ can be derived to be within the acceptable range. If necessary, steps "a" through "c" would have to be repeated to readjust these values.
$V_{C}=V_{X} R_{L} / R_{N}+I_{N}\left(R_{S}+R_{G}\right)$
$\mathrm{I}_{\mathrm{N}-}$ High $=7.05 \mathrm{~mA}, \mathrm{I}_{\mathrm{N}}$ Low $=5.19 \mathrm{~mA}$ (based on the values derived)

$$
\begin{aligned}
& \rightarrow \mathrm{V}_{\mathrm{C} \_ \text {High }}=0.4595 * 169 / 1358+7.05 \mathrm{~mA}(1150+39) \\
& =8.44 \mathrm{~V} \\
& \rightarrow \mathrm{~V}_{\mathrm{C}} \text { Low }=0.4595 * 169 / 1358+5.19 \mathrm{~mA}(1150+39) \\
& =6.22 \mathrm{~V} \\
& \mathrm{~V}_{\mathrm{IN}}=\mathrm{V}_{\mathrm{X}}\left(\mathrm{R}_{\mathrm{N}}-\mathrm{R}_{\mathrm{G}}\right) / \mathrm{R}_{\mathrm{N}}+\mathrm{I}_{\mathrm{N}} \mathrm{R}_{\mathrm{G}} \\
& \rightarrow \mathrm{~V}_{\text {IN_ }} \text { High }=0.4595 *(1358-39) / 1358+7.05 \mathrm{~mA} * 39 \\
& =0.721 \mathrm{~V} \\
& \rightarrow \mathrm{~V}_{\text {IN_L }} \text { Low }=0.4595 *(1358-39) / 1358+5.19 \mathrm{~mA} * 39 \\
& =0.649 \mathrm{~V}
\end{aligned}
$$

Figure 14 shows the complete solution using the values derived above, with the node voltages marked on the schematic for reference.


FIGURE 14. Implementation \#1 of Figure 12 Design Example

It is important to note that the matching of the resistors on either input side of the LMH6555 ( $\mathrm{R}_{\mathrm{S} 1}$ to $\mathrm{R}_{\mathrm{S} 2}$ and $\mathrm{R}_{\mathrm{L} 1}$ to $\mathrm{R}_{\mathrm{L} 2}$ ) is very important for output offset voltage and gain balance. This is particularly true with values of $R_{S}$ higher than the nominal $50 \Omega$. Therefore, in this example, $1 \%$ or better resistor values are specified.
If the U1 collector voltage turns out to be too low due to the loading of the LMH6555, lower $R_{L}$. Lower values of $R_{L}$ result in lower $R_{S}$ which in turn increases the LMH6555's $V_{\text {I_CM }}$ because of increased pull up action towards $\mathrm{V}_{\mathrm{Cc}}$. The upper limit on $\mathrm{V}_{1}$ CM is 2 V . Figure 15 shows the $2^{\text {nd }}$ implementation of this same application with lowered values of $R_{L}$ and $R_{S}$. Notice that the lower end of U1's collector voltage and the upper end of LMH6555's $\mathrm{V}_{\text {I_CM }}$ have both increased compared to the 1 st implementation.


FIGURE 15. Implementation \#2 of Figure 12 Design Example

An alternative would be to AC couple the LMH6555 inputs. With this approach, the design steps would be very similar to the ones outlined except that there would be no common mode interaction between the LMH6555 and U1 and this results in fewer design constraints:
$\mathrm{V}_{\mathrm{x}} / \mathrm{R}_{\mathrm{E}}=12.6 \mathrm{~mA} \rightarrow \mathrm{~V}_{\mathrm{x}}=0.3150 \mathrm{~V}$
For the component values shown in Figure 15 use:
$\mathrm{V}_{\mathrm{C}}$ High $=\mathrm{V}_{\mathrm{CC}}-\mathrm{R}_{\mathrm{L}}\left(\mathrm{I}_{\mathrm{CQ}}+\mathrm{I}_{\mathrm{PP}} / 2-\mathrm{I}_{\mathrm{N}}(\right.$ differential) /2)
$\mathrm{V}_{\mathrm{C}}$ Low $=\mathrm{V}_{\mathrm{CC}}-\mathrm{R}_{\mathrm{L}}\left(\mathrm{I}_{\mathrm{CQ}}-\mathrm{I}_{\mathrm{PP}} / 2+\mathrm{I}_{\mathrm{N}}(\right.$ differential $\left.) / 2\right)$
$I_{N}($ differential $)=I_{P P}{ }^{*} R_{L} /\left(R_{L}+R_{S}+R_{G}\right)=1.88 \mathrm{~mA}$ (based on the values used.)

$$
\begin{aligned}
& \rightarrow \mathrm{V}_{\mathrm{C}} \text { High }=10-80.6(10+15 / 2-1.88 / 2) \mathrm{mA}=8.67 \mathrm{~V} \\
& \rightarrow \mathrm{~V}_{\mathrm{C}} \text { Low }=10-80.6(10-15 / 2+1.88 / 2) \mathrm{mA}=9.72 \mathrm{~V}
\end{aligned}
$$

$V_{I N}=V_{X} \pm R_{G} . I_{N}$ (differential)/2
$\rightarrow \mathrm{V}_{\text {IN }-}$ High $=0.3150+39$ * $1.88 \mathrm{~mA} / 2=0.3517 \mathrm{~V}$
$\rightarrow V_{\text {IN }}$ Low $=0.3150-39 * 1.88 \mathrm{~mA} / 2=0.2783 \mathrm{~V}$
Figure 16 shows the AC coupled implementation of the Figure 15 schematic along with the node voltages marked to demonstrate the reduced $\mathrm{V}_{\mathrm{I}}$ см of the LMH6555 and the increase in the U1 collector voltage minimum.


20127751
FIGURE 16. AC Coupled Version of Figure 15
Note that the lower cut-off frequency is:
f_cut-off $=1 /\left(\pi R_{\text {eq }}\right)$ where $R e q=R_{S 1}+R_{S 2}+R_{\text {IN_DIFF }}$ where $\mathrm{R}_{\text {IN_DIFF }} \approx 78 \Omega$
So, for the component values shown ( $\mathrm{C}_{\mathrm{S}}=0.01 \mu \mathrm{~F}$ and $\mathrm{R}_{\mathrm{S} 1}$ $=R_{\mathrm{S} 2}=523 \Omega$ ):
f_cut-off $=28.2 \mathrm{kHz}$

## DATA ACQUISITION APPLICATIONS

Figure 17 shows the LMH6555 used as the differential driver to the National Semiconductor ADC081500 running at 1.5G samples/second.


FIGURE 17. Schematic of the LMH6555 Interfaced to the ADC081500

In the schematic of Figure 17, the LMH6555 converts a single ended input into a differential output for direct interface to the ADC's $100 \Omega$ differential input. An alternative approach to using the LMH6555 for this purpose, would have been to use a balun transformer, as shown in Figure 18.


20127777
FIGURE 18. Single Ended to Differential Conversion (AC only) with a Balun Transformer

In the circuit of Figure 18, the ADC will see a $100 \Omega$ differential driver which will swing the required $800 \mathrm{mV}_{\mathrm{PP}}$ when $\mathrm{V}_{\mathrm{IN}}$ is 1.6 $\mathrm{V}_{\mathrm{PP}}$. The source ( $\mathrm{V}_{\mathrm{IN}}$ ) will see an overall impedance of $200 \Omega$ for the frequency range that the transformer is specified to operate. Note that with this scheme, the signal to the ADC must be AC coupled, because of the transformer's minimum operating frequency which would prevent DC coupling. For the transformer specified, the lower operating frequency is around 4.5 MHz and the input high pass filter's -3 dB bandwidth is around 340 kHz for the values shown (or ( $1 / \pi R_{\mathrm{EQ}} \mathrm{C}$ ) Hz where $R_{E Q}=200 \Omega$ ).
Table 1 compares the LMH6555 solution (Figure 17) vs. that of the balun transformer coupling (Figure 18) for various categories.

TABLE 1. ADC Input Coupling Schemes Compared

| Category | Preferred Solution |  |
| :--- | :---: | :---: |
|  | LMH6555 | Balun <br> Transformer |
| Lower Power Consumption |  | $\checkmark$ |
| Lower Distortion |  | $\checkmark$ |
| Wider Dynamic Range | $\checkmark$ |  |
| DC Coupling \& Broadband <br> Applications | $\checkmark$ |  |
| Highest Gain \& Phase <br> Balance | $\checkmark$ |  |
| Input/ Output Broadband <br> Impedance Matching <br> (Highest Return Loss) | $\checkmark$ |  |
| Additional Gain | $\checkmark$ |  |
| ADC Input Protection against <br> Overdrive | $\checkmark$ |  |
| Highest SNR | $\checkmark$ |  |
| Ability to Control Gain <br> Flatness | $\checkmark$ |  |

## GAIN FLATNESS

In applications where the full 1.2 GHz bandwidth of the LMH6555 is not necessary, it is possible to improve the gain flatness frequency at the expense of bandwidth. Figure 19
shows $\mathrm{C}_{\mathrm{O}}$ placed across the LMH6555 output terminals to reduce the frequency response gain peaking and thereby to increase the $\pm 0.5 \mathrm{~dB}$ gain flatness frequency.


20127776
FIGURE 19. Increasing $\pm 0.5 \mathrm{~dB}$ Gain Flatness using External Output Capacitance, $\mathrm{C}_{\mathrm{o}}$

Figures 20, 21 and Figure 22 show the FFT analysis results with the setup shown in Figure 17.


20127743
FIGURE 20. LMH6555 FFT Result When Used as the Differential Driver to ADC081500


20127744
FIGURE 21. LMH6555 FFT Result When Used as the Differential Driver to ADC081500 (Lower Fs/2 Region Magnified)


20127745
FIGURE 22. LMH6555 FFT Result When Used as the Differential Driver to ADC081500 (Upper Fs/2 Region Magnified)

Figures 20, 21, and Figure 22 information summary:

- Fundamental Test

744 MHz
Frequency

- LMH6555 Output
- Sampling Rate:
- $2^{\text {nd }}$ Harmonic
- 3rd Harmonic
- 4th Harmonic
- $5^{\text {th }}$ Harmonic
- $6^{\text {th }}$ Harmonic
- THD
- SNR
$0.8 \mathrm{~V}_{\mathrm{PP}}$
1.5 G samples/ second
$-59 \mathrm{dBc} @ \sim 12 \mathrm{MHz}$ or |1.5 GHz*1-744 MHz*2|
-57 dBc @ ~ 732 MHz or |1.5 GHz*1-744 MHz *3|
-71 dBc @ $\sim 24 \mathrm{MHz}$ or |1.5 GHz*2-744 MHz *4|
-68 dBc @ $\sim 720 \mathrm{MHz}$ or |1.5 GHz*2-744 MHz*51
$-68 \mathrm{dBc} @ \sim 36 \mathrm{MHz}$ or |1.5 GHz*3-744 MHz*6|
- Spurious Free Dynamic

Range (SFDR):

- SINAD
- ENOB

The LMH6555 is capable of driving a variety of National Semiconductor Analog to Digital Converters. This is shown in Table 2, which offers a complete list of possible signal path ADC+ Amplifier combinations. The use of the LMH6555 to
drive an ADC is determined by the application and the desired sampling process (Nyquist operation, sub-sampling or oversampling). See application note (AN-236) for more details on the sampling processes and application note (AN-1393) for details on "Using High Speed Differential Amplifiers to Drive ADCs". For more information regarding a particular ADC, refer to the particular ADC datasheet for details.

TABLE 2. Differential Input ADC's Compatible with the LMH6555 Driver

| ADC Part Number | Resolution <br> (bits) | Single/ <br> Dual | Speed <br> (MSPS) |
| :---: | :---: | :---: | :---: |
| ADC08D500 | 8 | S | 500 |
| ADC081000 | 8 | S | 1000 |
| ADC08D1000 | 8 | D | 1000 |
| ADC08D1020 | 8 | D | 1000 |
| ADC081500 | 8 | S | 1500 |
| ADC08D1500 | 8 | D | 1500 |
| ADC08D1520 | 8 | D | 1500 |
| ADC083000 | 8 | S | 3000 |
| ADC08B3000 | 8 | S | 3000 |

## EXPOSED PAD LLP PACKAGE

The LMH6555 is in a thermally enhanced package. The exposed pad (device bottom) is connected to the GND pins. It is recommended, but not necessary, that the exposed pad be connected to the supply ground plane. The thermal dissipation of the device is largely dependent on the connection of this pad. The exposed pad should be attached to as much copper on the circuit board as possible, preferably external copper. However, it is very important to maintain good high speed layout practices when designing a system board.
Here is a link to more information on the National 16-pin LLP package:
http://www.national.com/packaging/folders/sqa16a.html

## EVALUATION BOARD

National Semiconductor suggests the following evaluation board as a guide for high frequency layout and as an aid in device testing and characterization.

| Device | Package | Evaluation Board <br> Ordering ID |
| :--- | :--- | :--- |
| LMH6555 | 16-Pin LLP | LMH6555EVAL |

The evaluation board can be ordered when a device sample request is placed with National Semiconductor.

## Appendix

Here is a more detailed analysis of the LMH6555, including the derivation of the expressions used throughout the Application Information.

## INPUT STAGE

Because of the input stage cross-coupling, if the instantaneous values of the input node voltages ( $\mathrm{V}_{\mathrm{IN}^{+}}$and $\mathrm{V}_{\mathrm{IN}^{-}}$) and current values are required, use the circuit of Figure 23 as the equivalent input stage for each input ( $\mathrm{V}_{\mathrm{IN}+}$ and $\mathrm{V}_{\mathrm{IN}}$ ).



20127709
FIGURE 23. Equivalent Input Stage
Using this simplified circuit, one can assume a constant collector current, to simplify the analysis. This is a valid approximation as the large open loop gain of the device will keep the two collector currents relatively constant. First derive Q1 and Q2 emitter voltages. From there, derive the voltages at $\mathrm{V}_{\mathrm{IN}+}$ and $\mathrm{V}_{\text {IN }}$ -
With the component values shown, it is possible to analyze the input circuits of Figure 23 in order to determine Q1 and Q2 emitter voltages. This will result in a first order estimate of Q1 and Q2 emitter voltages. Since Q1 and Q2 emitters are cross-coupled, the voltages derived would have to be equal. With the action of the common mode amplifier, "A $\mathrm{CM}^{\prime}$ ", shown in Figure 2, these two emitters will be equalized. So, one other iteration can be performed whereby both emitters are set to be equal to the average of the $1^{\text {st }}$ derived emitter voltages. Using this new emitter voltage, one could recalculate $\mathrm{V}_{\mathrm{IN}^{+}}$and $\mathrm{V}_{\mathrm{IN}}$ - voltages. The values derived in this fashion will be within $\pm 10 \%$ of the measured values.

## Single Ended Input Analysis

Here is an actual example to further clarify the procedure.
Consider the case where the LMH6555 is used as a single ended to differential converter shown in Figure 24.


FIGURE 24. Single Ended Input Drive

The first task would be to derive the internal transistor emitter voltages based on the schematic of Figure 23 (assuming that there is no interaction between the stages.) Here is the derivation of $V_{x}$ and $V_{y}$ :

$$
\begin{aligned}
& \frac{V x}{25}+\frac{V x \neq 0.15}{89}=12.6 \mathrm{~mA} \Rightarrow V_{x}=\left\{\begin{array}{l}
0.279 V \\
0.213 V
\end{array}\right. \\
& \frac{V y}{25}+\frac{V y}{89}=12.6 \mathrm{~mA} \Rightarrow \mathrm{Vy}=0.246 \mathrm{~V}
\end{aligned}
$$

$\mathrm{V}_{\mathrm{X}}$ varies with $\mathrm{V}_{\mathrm{IN}^{+}}\left(0.213 \mathrm{~V}\right.$ with negative $\mathrm{V}_{\mathrm{IN}}$ swing and 0.279 V with positive.) The values derived above assume that the two halves of the input circuit do not interact with each other. They do through the common mode amplifier and the input stage cross-coupling. $\mathrm{V}_{\mathrm{x}}$ and $\mathrm{V}_{\mathrm{y}}$ are equal to the average of $V_{y}$ with either end of the swing of $V_{x}$. This is calculated below along with the derivation of $\mathrm{V}_{\mathbb{I N}_{+}}$and $\mathrm{V}_{\mathrm{IN}^{-}}$based on this new average emitter voltage (the average of $\mathrm{V}_{\mathrm{x}}$ and $\mathrm{V}_{\mathrm{y}}$.)

$$
\begin{aligned}
& \frac{V x+V y}{2}=\left\{\begin{array}{l}
\frac{0.279+0.246}{2}=0.262 V \\
\frac{0.213+0.246}{2}=0.229 V
\end{array}\right\rangle=\begin{array}{l}
\text { Emitter } \\
=\begin{array}{l}
\text { Voltage } \\
\text { Swing }
\end{array}
\end{array} \\
& \mathrm{V}_{\mathbb{N}}{ }^{+}= \pm 0.15 \mathrm{~V}-50 \frac{ \pm 0.15 \mathrm{~V}-\left\{\begin{array}{l}
0.262 \mathrm{~V} \\
0.229 \mathrm{~V}
\end{array}\right.}{89} \\
& \mathrm{~V}_{\mathrm{IN}}{ }^{+}=\left\{\begin{array}{l}
0.213 \mathrm{~V} \\
63.2 \mathrm{mV}
\end{array} ; \mathrm{V}_{\mathrm{IN}}{ }^{-}=\frac{50}{89} \times\left\{\begin{array}{l}
0.262 \mathrm{~V} \\
0.229 \mathrm{~V}
\end{array}\right.\right. \\
& V_{I N}=\left\{\begin{array}{l}
0.147 \mathrm{~V} \\
0.129 \mathrm{~V}
\end{array}\right.
\end{aligned}
$$

With $0.3 \mathrm{~V}_{\mathrm{PP}} \mathrm{V}_{\mathrm{IN}}, \mathrm{V}_{\mathrm{IN}^{+}}$experiences $150 \mathrm{mV}_{\mathrm{PP}}(213 \mathrm{mV}-63.2$ mV ) of swing and $\mathrm{V}_{\mathrm{IN}}$ will swing by about 18.6 mV VPP in the process ( $147 \mathrm{mV}-129 \mathrm{mV}$ ). The input voltages are shown in Figure 25.


FIGURE 25. Input Voltages for Figure 24 Schematic

Using the calculated swing on $\mathrm{V}_{\mathbb{I N}+}$ with known $\mathrm{V}_{\mathrm{IN}}$, one can estimate the input impedance, $\mathrm{R}_{\text {IN }}$ as follows:

$$
\mathrm{R}_{\mathrm{IN}}=\frac{\Delta \mathrm{V}_{\mathrm{IN}}^{+}}{\Delta \mathrm{I}_{\mathrm{IN}}^{+}}=\frac{150 \mathrm{mV}}{(-1.26+4.26) \mathrm{mA}}=50 \Omega
$$

## Differential Input Analysis

Assume that the LMH6555 is used as a differential amplifier with a transformer with its Center Tap at ground as shown in Figure 26:


Assuming transformer secondary, $\mathrm{V}_{\mathbb{I N}}$, of $300 \mathrm{mV} \mathrm{VP}_{\mathrm{P}}$

## FIGURE 26. Differential Input Drive

The input voltages ( $\mathrm{V}_{\mathrm{IN}}$ and $\mathrm{V}_{\mathrm{IN}}$ ) can be derived using the technique explained previously. Assuming no transformer output and referring to the schematic of Figure 23:

$$
\begin{aligned}
& \frac{V x}{25}+\frac{V x}{50+39}=12.6 \mathrm{~mA} \Rightarrow V x=V y=0.246 \mathrm{~V} \\
& V_{I N}^{+}=\frac{50}{50+39} \times 0.246 \Rightarrow V_{\mathbb{I N}}^{+}=V_{\mathbb{I N}}^{-}=0.138 \mathrm{~V}
\end{aligned}
$$

The peak $\mathrm{V}_{\mathrm{IN}^{+}}$and $\mathrm{V}_{\mathrm{IN}^{-}}$voltages can be determined using the transformer output voltage. Assuming there is $0.3 \mathrm{~V}_{\mathrm{PP}}$ of signal across the transformer secondary, $1 / 2$ of that, or $0.15 \mathrm{~V}_{\text {PP }}$ ( $\pm 75 \mathrm{mV}$ peak), would appear at each input side ( $\mathrm{V}_{1}$ or $\mathrm{V}_{2}$ in Figure 26). Here is the derivation of the LMH6555 input terminal's peak voltages.

$$
\frac{V x}{25}+\frac{V x \pm 0.075}{89}=12.6 \mathrm{~mA} \Rightarrow V x=\left\{\begin{array}{l}
262.4 \mathrm{mV} \\
229.5 \mathrm{mV}
\end{array}\right.
$$

When $V_{1}$ swings positive, $V_{2}$ will go negative by the same value, and vice versa. Therefore, the values derived above for $\mathrm{V}_{\mathrm{x}}$ can be used to determine the average emitter voltage, as described earlier:

$$
\begin{aligned}
& \frac{V x+V y}{2}=\frac{262.4 \mathrm{mV}+229.5 \mathrm{mV}}{2}=245.9 \mathrm{mV}=\begin{array}{c}
\text { Emitter } \\
\text { Voltage }
\end{array} \\
& \mathrm{V}_{\mathrm{IN}^{+}}= \pm 75 \mathrm{mV}-50 \frac{ \pm 75 \mathrm{mV}-245.9 \mathrm{mV}}{89}
\end{aligned}
$$

$$
V_{\mathbb{N}^{+}}^{+}=\left\{\begin{array}{l}
171.0 \mathrm{mV} \\
105.3 \mathrm{mV}
\end{array} \text { and by symmetry: } \mathrm{V}_{\mathbb{N}}=\left\{\begin{array}{l}
105.3 \mathrm{mV} \\
171.0 \mathrm{mV}
\end{array}\right.\right.
$$

With the transformer voltage of $0.3 \mathrm{~V}_{\mathrm{PP}}$, each input $\left(\mathrm{V}_{\mathrm{IN}^{+}}\right.$and $\mathrm{V}_{\mathrm{IN}}$ ) swings from 105.3 mV to 171.0 mV or about 65.7 $\mathrm{mV} \mathrm{V}_{\mathrm{PP}}$. The input voltages are shown in Figure 27.


FIGURE 27. Input Voltages for Figure 26 Schematic
Knowing the device input terminal voltages, one can estimate the differential input impedance as follows:

$$
\frac{\mathrm{R}_{\text {IN_DIFF }}}{\mathrm{R}_{\text {IN_DIFF }}+100}=\frac{0.131 \mathrm{~V}_{\mathrm{PP}}}{0.3 \mathrm{~V}_{\mathrm{PP}}} \Rightarrow \mathrm{R}_{\text {IN_DIFF }}=78 \Omega
$$

This is comparable to $R_{\text {IN_DIFF }}$ found in the Electrical Characteristic table.

## OUTPUT STAGE AND GAIN ANALYSIS

Differential gain is determined by the differential current flow through the feedback resistors $\mathrm{R}_{\mathrm{F} 1}$ and $\mathrm{R}_{\mathrm{F} 2}$ as shown in Figure 2. Current through $\mathrm{R}_{\mathrm{F} 1}$ ( or $\mathrm{R}_{\mathrm{F} 2}$ ) sets the $\mathrm{V}_{\mathrm{OUT}}$ ( or $\mathrm{V}_{\mathrm{OUT}}$ ) swing. The nominal value of these resistors is close to $430 \Omega$. The LMH6555 output stage consists of two bipolar common emitter amplifiers with built in output resistances, $\mathrm{R}_{\mathrm{T} 1}$ and $\mathrm{R}_{\mathrm{T} 2}$, of $50 \Omega$, as shown in Figure 28.


FIGURE 28. Output Stage Including External Load $\mathbf{R}_{\mathrm{L}}$

With an output differential load, $\mathrm{R}_{\mathrm{L}}$, of $100 \Omega$, half the differential swing between the output emitters appears at the LMH6555 output terminals as $\mathrm{V}_{\text {OUT }}$.
With good matching between the input source impedances, $\mathrm{R}_{\mathrm{S} 1}$ and $\mathrm{R}_{\mathrm{S} 2}$ shown in Figure 24 and Figure 26, it is possible to infer the gain and output swing by inspection. The differential input impedance of the LMH6555, $\mathrm{R}_{\text {IN DIFF }}$, is close to $78 \Omega$.
In differential input drive applications, there is a balanced swing across the input terminals of the LMH6555, $\mathrm{V}_{\mathrm{IN}^{+}}$and $\mathrm{V}_{\text {IN.- }}$. So, by using the $\mathrm{R}_{\text {IN_DIFF }}$ value, one determines the differential current flow through the input terminals and from that the output swing and gain.


$$
\begin{align*}
& V_{\text {OUT }}=\frac{V_{\text {IN }} \times R_{F}}{2 R_{S}+R_{\text {IN_DIFF }}} \\
& \frac{V_{\text {OUT }}}{V_{\text {IN }}}=\frac{R_{F}}{2 R_{S}+78 \Omega}=\frac{430 \Omega}{2 R_{S}+78 \Omega} \tag{4}
\end{align*}
$$

For the special case where $R_{S 1}=R_{S 2}=R_{S}=50 \Omega$ we have:

$$
\text { for } \mathrm{R}_{\mathrm{S}}=50 \Omega \Rightarrow \frac{\mathrm{~V}_{\text {OUT }}}{\mathrm{V}_{\text {IN }}}=\frac{430}{178}=2.42 \mathrm{~V} / \mathrm{V}
$$

The following is the expression for the Insertion Gain, $\mathrm{A}_{\mathrm{V} \text { _DIFF }}$ :

$$
\begin{aligned}
A_{V \_ \text {DIFF }} & =\frac{V_{\text {OUT }}}{V_{\text {IN }} \times \frac{100 \Omega}{2 R_{S}+100}} \\
& =\frac{V_{\text {OUT }} N_{\text {IN }}}{100 / 200}=2 \mathrm{~V}_{\text {OUT }} / V_{\text {IN }}=4.83 \mathrm{~V} / \mathrm{N} \\
& =13.7 \mathrm{~dB}
\end{aligned}
$$

The expressions above apply equally to the single ended input drive case as well, as long as $R_{S 1}=R_{S 2}=50 \Omega$. For the case of the single ended input drive:

$$
\begin{aligned}
A_{V_{\_} \text {IIFF }} & =\frac{V_{\text {OUT }}}{V_{\text {IN }} \times \frac{50}{R_{S}+50}} \\
& =\frac{V_{\text {OUT }} / N_{\text {IN }}}{50 / 100}=2 \mathrm{~V}_{\text {OUT }} N_{\text {IN }}=4.83 \mathrm{~V} / \mathrm{N} \\
& =13.7 \mathrm{~dB}
\end{aligned}
$$

This is comparable to $A_{\text {V_DIFF }}$ found in the Electrical Characteristic table.

Physical Dimensions inches (millimeters) unless otherwise noted


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## Notes

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