

Low Noise, Rail-to-Rail, Differential ADC Driver

AD8139

FEATURES

Fully differential Low noise 2.25 nV/√Hz 2.1 pA/√Hz Low harmonic distortion 98 dBc SFDR @ 1 MHz 85 dBc SFDR @ 5 MHz 72 dBc SFDR @ 20 MHz High speed 410 MHz, 3 dB BW (G = 1) 800 V/μs slew rate 45 ns settling time to 0.01% 69 dB output balance @ 1 MHz 80 dB dc CMRR Low offset: ±0.5 mV maximum Low input offset current: 0.5 μA maximum Differential input and output Differential-to-differential or single-ended-to-differential operation Rail-to-rail output Adjustable output common-mode voltage Wide supply voltage range: 5 V to 12 V Available in a small SOIC package and an 8-lead LFCSP

APPLICATIONS

ADC drivers to 18 bits Single-ended-to-differential converters Differential filters Level shifters Differential PCB drivers Differential cable drivers

FUNCTIONAL BLOCK DIAGRAMS

GENERAL DESCRIPTION

The AD8139 is an ultralow noise, high performance differential amplifier with rail-to-rail output. With its low noise, high SFDR, and wide bandwidth, it is an ideal choice for driving ADCs with resolutions to 18 bits. The AD8139 is easy to apply, and its internal common-mode feedback architecture allows its output common-mode voltage to be controlled by the voltage applied to one pin. The internal feedback loop also provides outstanding output balance as well as suppression of even-order harmonic distortion products. Fully differential and singleended-to-differential gain configurations are easily realized by the AD8139. Simple external feedback networks consisting of four resistors determine the closed-loop gain of the amplifier.

The AD8139 is manufactured on the Analog Devices, Inc. proprietary, second-generation XFCB process, enabling it to achieve low levels of distortion with input voltage noise of only $2.25 \text{ nV}/\sqrt{\text{Hz}}$.

of −40°C to +125°C. **100**

The AD8139 is available in an 8-lead SOIC package with an exposed paddle (EP) on the underside of its body and a 3 mm \times 3 mm LFCSP. It is rated to operate over the temperature range

Figure 3. Input Voltage Noise vs. Frequency

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Rev. B

TABLE OF CONTENTS

REVISION HISTORY

8/04—Rev. 0 to Rev. A.

5/04—Revision 0: Initial Version

SPECIFICATIONS

$V_s = \pm 5$ V, $V_{ocm} = 0$ V

T_A = 25°C, differential gain = 1, R_{L, dm} = 1 kΩ, R_F = R_G = 200 Ω, unless otherwise noted. T_{MIN} to T_{MAX} = -40°C to +125°C.

$V_s = 5 V$, $V_{ocm} = 2.5 V$

T_A = 25°C, differential gain = 1, R_{L, dm} = 1 k Ω , R_F = R_G = 200 Ω , unless otherwise noted. T_{MIN} to T_{MAX} = -40°C to +125°C.

ABSOLUTE MAXIMUM RATINGS

Table 3.

Stresses above those listed under Absolute Maximum Ratings may cause permanent damage to the device. This is a stress rating only; functional operation of the device at these or any other conditions above those indicated in the operational section of this specification is not implied. Exposure to absolute maximum rating conditions for extended periods may affect device reliability.

THERMAL RESISTANCE

θ_{JA} is specified for the worst-case conditions, that is, θ_{JA} is specified for device soldered in circuit board for surface-mount packages.

Table 4.

Maximum Power Dissipation

The maximum safe power dissipation in the AD8139 package is limited by the associated rise in junction temperature (T_I) on the die. At approximately 150°C, which is the glass transition temperature, the plastic will change its properties. Even temporarily exceeding this temperature limit can change the stresses that the package exerts on the die, permanently shifting the parametric performance of the AD8139. Exceeding a junction temperature of 175°C for an extended period can result in changes in the silicon devices potentially causing failure.

The power dissipated in the package (P_D) is the sum of the quiescent power dissipation and the power dissipated in the package due to the load drive for all outputs. The quiescent power is the voltage between the supply pins (V_s) times the quiescent current (IS). The load current consists of differential and common-mode currents flowing to the load, as well as currents flowing through the external feedback networks and the internal common-mode feedback loop. The internal resistor tap used in the common-mode feedback loop places a 1 k Ω differential load on the output. RMS output voltages should be considered when dealing with ac signals.

Airflow reduces θ_{JA} . In addition, more metal directly in contact with the package leads from metal traces, through holes, ground, and power planes reduce the θ_{JA} .

Figure 4 shows the maximum safe power dissipation in the package vs. the ambient temperature for the exposed paddle (EP) 8-lead SOIC ($\theta_{JA} = 70^{\circ}$ C/W) and the 8-lead LFCSP $(\theta_{JA} = 70^{\circ}C/W)$ on a JEDEC standard 4-layer board. θ_{JA} values are approximations.

Figure 4. Maximum Power Dissipation vs. Temperature for a 4-Layer Board

ESD CAUTION

ESD (electrostatic discharge) sensitive device. Charged devices and circuit boards can discharge without detection. Although this product features patented or proprietary protection circuitry, damage may occur on devices subjected to high energy ESD. Therefore, proper ESD precautions should be taken to avoid performance degradation or loss of functionality.

PIN CONFIGURATIONS AND FUNCTION DESCRIPTIONS

Figure 6. 8-Lead LFCSP Pin Configuration

Table 5. Pin Function Descriptions

TYPICAL PERFORMANCE CHARACTERISTICS

Unless otherwise noted, differential gain = +1, $R_G = R_F = 200 \Omega$, $R_{L, dm} = 1 k\Omega$, $V_S = \pm 5 V$, $T_A = 25^{\circ}C$, $V_{OCM} = 0 V$. Refer to the basic test circuit in Figure 57 for the definition of terms.

Figure 8. Small Signal Frequency Response for Various Power Supplies

Figure 9. Small Signal Frequency Response at Various Temperatures

Figure 11. Large Signal Frequency Response for Various Power Supplies

Figure 12. Large Signal Frequency Response at Various Temperatures

Figure 18. 0.1 dB Flatness for Various Loads and Output Amplitudes

Figure 22. Third Harmonic Distortion vs. Frequency and Supply Voltage

Figure 24. Third Harmonic Distortion vs. Frequency and Load

Figure 19. Second Harmonic Distortion vs. Frequency and Supply Voltage

Figure 21. Second Harmonic Distortion vs. Frequency and Load

Figure 26. Second Harmonic Distortion vs. Output Amplitude

Figure 30. Harmonic Distortion vs. V_{OCM} , $V_S = \pm 5$ V

Figure 31. Small Signal Transient Response for Various CF

Figure 32. Small Signal Transient Response for Capacitive Loads

Figure 33. Intermodulation Distortion

Figure 34. Large Signal Transient Response for Various CF

Figure 36. Settling Time (0.01%)

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04679-077

04679-062

04679-062

Figure 51. $V_{OUT, cm}$ vs. V_{OCM} Input Voltage

TEST CIRCUITS

THEORY OF OPERATION

The AD8139 is a high speed, low noise differential amplifier fabricated on the Analog Devices second-generation eXtra Fast Complementary Bipolar (XFCB) process. It is designed to provide two closely balanced differential outputs in response to either differential or single-ended input signals. Differential gain is set by external resistors, similar to traditional voltagefeedback operational amplifiers. The common-mode level of the output voltage is set by a voltage at the V_{OCM} pin and is independent of the input common-mode voltage. The AD8139 has an H-bridge input stage for high slew rate, low noise, and low distortion operation and rail-to-rail output stages that provide maximum dynamic output range. This set of features allows for convenient single-ended-to-differential conversion, a common need to take advantage of modern high resolution ADCs with differential inputs.

TYPICAL CONNECTION AND DEFINITION OF TERMS

Figure 59 shows a typical connection for the AD8139, using matched external R_F/R_G networks. The differential input terminals of the AD8139, V_{AP} and V_{AN} , are used as summing junctions. An external reference voltage applied to the V_{OCM} terminal sets the output common-mode voltage. The two output terminals, V_{OP} and V_{ON} , move in opposite directions in a balanced fashion in response to an input signal.

Figure 59. Typical Connection

The differential output voltage is defined as

$$
V_{O, dm} = V_{OP} - V_{ON} \tag{1}
$$

Common-mode voltage is the average of two voltages. The output common-mode voltage is defined as

$$
V_{O, cm} = \frac{V_{OP} + V_{ON}}{2}
$$
 (2)

Output Balance

Output balance is a measure of how well V_{OP} and V_{ON} are matched in amplitude and how precisely they are 180° out of phase with each other. It is the internal common-mode feedback loop that forces the signal component of the output common-mode towards zero, resulting in the near perfectly balanced differential

outputs of identical amplitude and exactly 180° out of phase. The output balance performance does not require tightly matched external components, nor does it require that the feedback factors of each loop be equal to each other. Low frequency output balance is limited ultimately by the mismatch of an on-chip voltage divider, which is trimmed for optimum performance.

Output balance is measured by placing a well-matched resistor divider across the differential voltage outputs and comparing the signal at the midpoint of the divider with the magnitude of the differential output. By this definition, output balance is equal to the magnitude of the change in output common-mode voltage divided by the magnitude of the change in output differential-mode voltage:

Output Balance =
$$
\frac{\Delta V_{O, cm}}{\Delta V_{O, dm}}
$$
 (3)

The block diagram of the AD8139 in Figure 60 shows the external differential feedback loop (RF/RG networks and the differential input transconductance amplifier, G_{DIFF}) and the internal common-mode feedback loop (voltage divider across V_{OP} and V_{ON} and the common-mode input transconductance amplifier, G_{CM}). The differential negative feedback drives the voltages at the summing junctions V_{AN} and V_{AP} to be essentially equal to each other.

$$
V_{AN}=V_{AP} \tag{4}
$$

The common-mode feedback loop drives the output commonmode voltage, sampled at the midpoint of the two 500 Ω resistors, to equal the voltage set at the V_{OCM} terminal. This ensures that

$$
V_{OP} = V_{OCM} + \frac{V_{O, dm}}{2}
$$
 (5)

and

$$
V_{ON} = V_{OCM} - \frac{V_{O, dm}}{2}
$$
 (6)

APPLICATIONS **ESTIMATING NOISE, GAIN, AND BANDWIDTH WITH MATCHED FEEDBACK NETWORKS**

Estimating Output Noise Voltage

The total output noise is calculated as the root-sum-squared total of several statistically independent sources. Because the sources are statistically independent, the contributions of each must be individually included in the root-sum-square calculation. Table 6 lists recommended resistor values and estimates of bandwidth and output differential voltage noise for various closed-loop gains. For most applications, 1% resistors are sufficient.

The differential output voltage noise contains contributions from the input voltage noise and input current noise of the AD8139 as well as those from the external feedback networks.

The contribution from the input voltage noise spectral density is computed as

$$
Vo_n1 = v_n \left(1 + \frac{R_F}{R_G} \right), \text{ or equivalently, } v_n / \beta \tag{7}
$$

where v_n is defined as the input-referred differential voltage noise. This equation is the same as that of traditional op amps.

The contribution from the input current noise of each input is computed as

$$
Vo_n2 = i_n (R_F) \tag{8}
$$

where *in* is defined as the input noise current of one input. Each input needs to be treated separately because the two input currents are statistically independent processes.

The contribution from each *RG* is computed as

$$
Vo_{n} = \sqrt{4kTR_{G}} \left(\frac{R_{F}}{R_{G}}\right)
$$
\n(9)

This result can be intuitively viewed as the thermal noise of each R_G multiplied by the magnitude of the differential gain.

The contribution from each R_F is computed as

$$
Vo_n4 = \sqrt{4kTR_F} \tag{10}
$$

Voltage Gain

The behavior of the node voltages of the single-ended-todifferential output topology can be deduced from the previous definitions. Referring to Figure 59, ($C_F = 0$) and setting $V_{IN} = 0$, one can write

$$
\frac{V_{IP} - V_{AP}}{R_G} = \frac{V_{AP} - V_{ON}}{R_F}
$$
\n(11)

$$
V_{AN} = V_{AP} = V_{OP} \left[\frac{R_G}{R_F + R_G} \right] \tag{12}
$$

Solving the above two equations and setting V_{IP} to V_i gives the gain relationship for $V_{O, dm}/V_i$.

$$
V_{OP} - V_{ON} = V_{O, dm} = \frac{R_F}{R_G} V_i
$$
 (13)

An inverting configuration with the same gain magnitude can be implemented by simply applying the input signal to V_{IN} and setting $V_{IP} = 0$. For a balanced differential input, the gain from $V_{IN, dm}$ to $V_{O, dm}$ is also equal to R_F/R_G , where $V_{IN, dm} = V_{IP} - V_{IN}$.

Feedback Factor Notation

When working with differential amplifiers, it is convenient to introduce the feedback factor β, which is defined as

$$
\beta = \frac{R_G}{R_F + R_G} \tag{14}
$$

This notation is consistent with conventional feedback analysis and is very useful, particularly when the two feedback loops are not matched.

Input Common-Mode Voltage

The linear range of the V_{AN} and V_{AP} terminals extends to within approximately 1 V of either supply rail. Because V_{AN} and V_{AP} are essentially equal to each other, they are both equal to the input common-mode voltage of the amplifier. Their range is indicated in the Specifications tables as input common-mode range. The voltage at V_{AN} and V_{AP} for the connection diagram in Figure 59 can be expressed as

$$
V_{AN} = V_{AP} = V_{ACM} =
$$
\n
$$
\left(\frac{R_F}{R_F + R_G} \times \frac{(V_{IP} + V_{IN})}{2}\right) + \left(\frac{R_G}{R_F + R_G} \times V_{OCM}\right)
$$
\n(15)

where V_{ACM} is the common-mode voltage present at the amplifier input terminals.

Using the β notation, Equation 15 can be written as follows:

$$
V_{ACM} = \beta V_{OCM} + (1 - \beta) V_{ICM}
$$
 (16)

or equivalently,

$$
V_{ACM} = V_{ICM} + \beta (V_{OCM} - V_{ICM})
$$
\n(17)

where *V_{ICM}* is the common-mode voltage of the input signal, that is, $V_{ICM} = V_{IP} + V_{IN}/2$.

For proper operation, the voltages at V_{AN} and V_{AP} must stay within their respective linear ranges.

Calculating Input Impedance

The input impedance of the circuit in Figure 59 depends on whether the amplifier is being driven by a single-ended or a differential signal source. For balanced differential input signals, the differential input impedance (R_{IN, dm}) is simply

$$
R_{IN, dm} = 2R_G \tag{18}
$$

For a single-ended signal (for example, when V_{IN} is grounded and the input signal drives V_{IP}), the input impedance becomes

$$
R_{IN} = \frac{R_G}{1 - \frac{R_F}{2(R_G + R_F)}}
$$
(19)

The input impedance of a conventional inverting op amp configuration is simply RG, but it is higher in Equation 19 because a fraction of the differential output voltage appears at the summing junctions, V_{AN} and V_{AP} . This voltage partially bootstraps the voltage across the input resistor RG, leading to the increased input resistance.

Input Common-Mode Swing Considerations

In some single-ended-to-differential applications, when using a single-supply voltage, attention must be paid to the swing of the input common-mode voltage, VACM.

Consider the case in Figure 61, where V_{IN} is 5 V p-p swinging about a baseline at ground, and VREF is connected to ground.

The circuit has a differential gain of 1.6 and β = 0.38. V_{ICM} has an amplitude of 2.5 V p-p and is swinging about ground. Using the results in Equation 16, the common-mode voltage at the inputs of the AD8139, V_{ACM} , is a 1.5 V p-p signal swinging about a baseline of 0.95 V. The maximum negative excursion of V_{ACM} in this case is 0.2 V, which exceeds the lower input common-mode voltage limit.

Figure 61. AD8139 Driving AD7674, 18-Bit, 800 kSPS ADC

One way to avoid the input common-mode swing limitation is to bias V_{IN} and V_{REF} at midsupply. In this case, V_{IN} is 5 V p-p swinging about a baseline at 2.5 V, and V_{REF} is connected to a low-Z 2.5 V source. V_{ICM} now has an amplitude of 2.5 V p-p and is swinging about 2.5 V. Using the results in Equation 17, V_{ACM} is calculated to be equal to V_{ICM} because $V_{OCM} = V_{ICM}$. Therefore, V_{ACM} swings from 1.25 V to 3.75 V, which is well within the input common-mode voltage limits of the AD8139. Another benefit seen in this example is that because $V_{OCM} = V_{ACM} = V_{ICM}$ no wasted common-mode current flows. Figure 62 illustrates how to provide the low-Z bias voltage. For situations that do not require a precise reference, a simple voltage divider suffices to develop the input voltage to the buffer.

Figure 62. Low-Z 2.5 V Buffer

Another way to avoid the input common-mode swing limitation is to use dual power supplies on the AD8139. In this case, the biasing circuitry is not required.

Bandwidth vs. Closed-Loop Gain

The 3 dB bandwidth of the AD8139 decreases proportionally to increasing closed-loop gain in the same way as a traditional voltage feedback operational amplifier. For closed-loop gains greater than 4, the bandwidth obtained for a specific gain can be estimated as

$$
f - 3 dB, V_{OUT, dm} = \frac{R_G}{R_G + R_F} \times (300 \text{ MHz})
$$
 (20)

or equivalently, β(300 MHz).

This estimate assumes a minimum 90° phase margin for the amplifier loop, which is a condition approached for gains greater than 4. Lower gains show more bandwidth than predicted by the equation due to the peaking produced by the lower phase margin.

Estimating DC Errors

Primary differential output offset errors in the AD8139 are due to three major components: the input offset voltage, the offset between the V_{AN} and V_{AP} input currents interacting with the feedback network resistances, and the offset produced by the dc voltage difference between the input and output common-mode voltages in conjunction with matching errors in the feedback network.

The first output error component is calculated as

$$
Vo_{\text{e}}el = V_{IO} \left(\frac{R_F + R_G}{R_G} \right), \text{ or equivalently as } V_{IO} / \beta \tag{21}
$$

where V_{IO} is the input offset voltage. The input offset voltage of the AD8139 is laser trimmed and guaranteed to be less than 500 μV.

The second error is calculated as

$$
Vo_{-}e2 = I_{IO} \left(\frac{R_{F} + R_{G}}{R_{G}} \right) \left(\frac{R_{G}R_{F}}{R_{F} + R_{G}} \right) = I_{IO} (R_{F})
$$
 (22)

where *I_{IO}* is defined as the offset between the two input bias currents.

The third error voltage is calculated as

$$
Vo_e3 = \Delta enr \times (V_{ICM} - V_{OCM})
$$
 (23)

where Δ*enr* is the fractional mismatch between the two feedback resistors.

The total differential offset error is the sum of these three error sources.

Other Impact of Mismatches in the Feedback Networks

The internal common-mode feedback network still forces the output voltages to remain balanced, even when the RF/RG feedback networks are mismatched. However, the mismatch will cause a gain error proportional to the feedback network mismatch.

Ratio-matching errors in the external resistors degrade the ability to reject common-mode signals at the V_{AN} and V_{IN} input terminals, much the same as with a four-resistor difference amplifier made from a conventional op amp. Ratio-matching errors also produce a differential output component that is equal to the V_{OCM} input voltage times the difference between the feedback factors (βs). In most applications using 1% resistors, this component amounts to a differential dc offset at the output that is small enough to be ignored.

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Driving a Capacitive Load

A purely capacitive load reacts with the bondwire and pin inductance of the AD8139, resulting in high frequency ringing in the transient response and loss of phase margin. One way to minimize this effect is to place a small resistor in series with each output to buffer the load capacitance (see Figure 58 and Figure 63). The resistor and load capacitance form a first-order, low-pass filter; therefore, the resistor value should be as small as possible. In some cases, the ADCs require small series resistors to be added on their inputs.

response vs. the capacitive load were generated using series resistors in each output and a differential capacitive load.

Layout Considerations

Standard high speed PCB layout practices should be adhered to when designing with the AD8139. A solid ground plane is recommended, and good wideband power supply decoupling networks should be placed as close as possible to the supply pins.

To minimize stray capacitance at the summing nodes, the copper in all layers under all traces and pads that connect to the summing nodes should be removed. Small amounts of stray summing-node capacitance cause peaking in the frequency response, and large amounts can cause instability. If some stray summing-node capacitance is unavoidable, its effects can be compensated for by placing small capacitors across the feedback resistors.

Terminating a Single-Ended Input

Controlled impedance interconnections are used in most high speed signal applications, and they require at least one line termination. In analog applications, a matched resistive termination is generally placed at the load end of the line. This section deals with how to properly terminate a single-ended input to the AD8139.

The input resistance presented by the AD8139 input circuitry is seen in parallel with the termination resistor, and its loading effect must be taken into account. The Thevenin equivalent circuit of the driver, its source resistance, and the termination resistance must all be included in the calculation as well. An exact solution to the problem requires the solution of several simultaneous algebraic equations and is beyond the scope of this data sheet. An iterative solution is also possible and simpler, especially considering the fact that standard 1% resistor values are generally used.

Figure 64 shows the AD8139 in a unity-gain configuration driving the AD6645, which is a 14-bit, high speed ADC, and with the following discussion, provides a good example of how to provide a proper termination in a 50 Ω environment.

The termination resistor, R_T , in parallel with the 268 Ω input resistance of the AD8139 circuit (calculated using Equation 19), yields an overall input resistance of 50 Ω that is seen by the signal source. To have matched feedback loops, each loop must have the same R_G if they have the same R_F . In the input (upper) loop, R_G is equal to the 200 Ω resistor in series with the (+) input plus the parallel combination of R_T and the source resistance of 50 Ω. In the upper loop, R_G is therefore equal to 228 Ω. The closest standard 1% value to 228 Ω is 226 Ω and is used for RG in the lower loop. Greater accuracy could be achieved by using two resistors in series to obtain a resistance closer to 228 Ω .

Things get more complicated when it comes to determining the feedback resistor values. The amplitude of the signal source generator V_s is two times the amplitude of its output signal when terminated in 50 $Ω$. Therefore, a 2 V p-p terminated amplitude is produced by a 4 V p-p amplitude from V_s . The Thevenin equivalent circuit of the signal source and R_T must be used when calculating the closed-loop gain, because in the upper loop, R_G is split between the 200 Ω resistor and the Thevenin resistance looking back toward the source. The Thevenin voltage of the signal source is greater than the signal source output voltage when terminated in 50 Ω because R_T must always be greater than 50 $Ω$. In this case, R_T is 61.9 $Ω$ and the Thevenin voltage and resistance are 2.2 V p-p and 28 $Ω$, respectively. Now the upper input branch can be viewed as a 2.2 V p-p source in series with 228 Ω . Because this is a unitygain application, a 2 V p-p differential output is required, and R_F must therefore be 228 × (2/2.2) = 206 Ω. The closest standard value to this is 205 Ω .

When generating the Typical Performance Characteristics data, the measurements were calibrated to take the effects of the terminations on the closed-loop gain into account.

Because this is a single-ended-to-differential application on a **Exposed Paddle (EP)** single supply, the input common-mode voltage swing must be checked. From Figure 64, $β = 0.52$, V_{OCM} = 2.4 V, and V_{ICM} is 1.1 V p-p swinging about ground. Using Equation 16, VACM is calculated to be 0.53 V p-p swinging about a baseline of 1.25 V, and the minimum negative excursion is approximately 1 V.

The 8-lead SOIC and the 8-lead LFCSP have an exposed paddle on the bottom of the package. To achieve the specified thermal resistance, the exposed paddle must be soldered to one of the PCB planes. The exposed paddle mounting pad should contain several thermal vias within it to ensure a low thermal path to the plane.

Figure 64. AD8139 Driving AD6645, 14-Bit, 80 MSPS/105 MSPS ADC

OUTLINE DIMENSIONS

CONTROLLING DIMENSIONS ARE IN MILLIMETER; INCH DIMENSIONS (IN PARENTHESES) ARE ROUNDED-OFF MILLIMETER EQUIVALENTS FOR REFERENCE ONLY AND ARE NOT APPROPRIATE FOR USE IN DESIGN.

Figure 66. 8-Lead Lead Frame Chip Scale Package [LFCSP_VD] 3 mm × 3 mm Body, Very Thin, Dual Lead (CP-8-2)—Dimensions shown in millimeters

ORDERING GUIDE

¹ Z = RoHS Compliant Part, # denotes RoHS product may be top or bottom marked.

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060506-A

Rev. B | Page 24 of 24

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